

# Ultra-Low Voltage Push-Pull Converter for Micro Energy Harvesting

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**Abstract**—Ultra-low power electronic devices, as by the way of example sensor nodes, can be powered by environmental energy harvesting. Thermo generators, solar cells, inductive generators, or radio frequency antennas provide an extremely low output voltage that must be amplified to generate a suitable power supply. This work presents an autonomous self-starting ultra-low voltage DC-DC converter that starts operations at 9 mV. The circuit is inspired by the classical zero voltage switching push-pull Royer oscillator, suitably modified by using JFETs to operate at low voltages. Thanks to the soft switching of the transistors and to the symmetrical use of the transformer, it can reach high voltage gain, high frequency, and high efficiency. Theoretical and simulation-based optimizations were used to design the converter; the results were experimentally verified with several prototypes.

**Index Terms**— Boost converter, energy harvesting, low input voltage, push-pull, soft switching, high efficiency

## I. INTRODUCTION

ENERGY harvesting is getting more and more interesting for wireless sensor applications in embedded systems, health monitoring, civil engineering structures, automotive, aircraft monitoring, hazardous environments, etc. [1-3]. Very low amounts of energy are collected from the environment using small transducers and used to feed low power circuits such as autonomous sensors. Energy can be collected from several environmental sources [1]: solar, organic, vibrations, thermal, electromagnetic field (both near and far-field at radiofrequency). One of the eco-friendliest energy sources, the thermal energy, can be converted into electric energy via Seebeck effect. Miniaturized thermoelectric generator (TEG) devices have been successfully fabricated and applied to small-scale thermal energy harvesting applications. However, due to the physical dimension and temperature gradient limitations, the induced voltage level is rather low in the range of 50mV/K - 100mV/K [4]. A voltage level of at least 1 volt is required to supply conventional electronic circuits as, by the way of example, wireless sensors for internet-of-things applications. Efficient converters are required to transform the low input voltage to a level suitable for typical electronic devices, 1-5 V. In principle, the input voltage can be boosted using conventional DC-DC converters, but, again, DC-DC converters need power to start-up. Hence, self-starting ultra-low voltage boost converter architectures are required. Several autonomous self-oscillating low-voltage low-power DC-DC converters have emerged in recent years both from industrial

and academic research [5-7]: almost all of them are based on the classical Armstrong oscillator. Aim of this work is to demonstrate for the first time, at least in the author knowledge, that the Royer oscillator [8] can be modified with normally-on JFETs switches to start at ultra-low input voltages. Although the Royer oscillator, based on BJTs and MOSFETs, is widely used in high efficiency push-pull power converters [8], it is not used in low voltage applications because of the positive device threshold. The advantage with respect to the Armstrong oscillator is that the Royer oscillator is symmetric, it maximizes the use of the magnetic core, and can be exploited in zero-voltage switching (ZVS) push-pull converters. ZVS is the key to maximize the power conversion efficiency  $\eta$ . Furthermore, thanks to the negative threshold of JFETs, the oscillation at ultra-low input voltages is nearly sinusoidal.

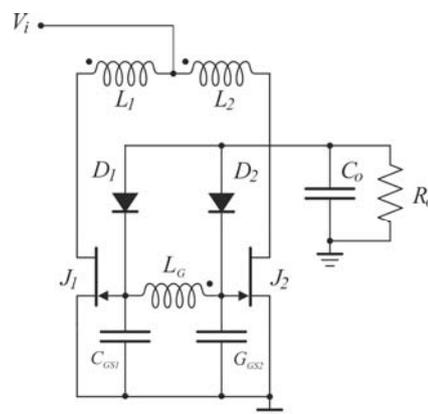


Fig. 1. Non isolated push-pull boost converter.

## II. OPERATING PRINCIPLE

The Royer oscillator is a relaxation oscillator based on a center-tapped transformer. It has the advantages of simplicity, low component count, easy transformer isolation, maximum use of the core and, in turn, reduced size and weight of the transformer. The output of the classic Royer circuit is a square wave, nevertheless it can be modified by adding a resonant capacitor to turn into a harmonic oscillator. The circuit consists of a transformer with a center-tapped primary winding  $L_1$ ,  $L_2$ , a feedback winding  $L_G$  (Fig. 1) and (optionally) a secondary winding  $L_O$  (Fig. 2). The two halves of the primary are driven by two transistors in push-pull configuration. The feedback winding couples a small amount of the transformer flux back into the transistor's bases and

provides a positive feedback that generates the oscillation. In order to design an ultra-low-voltage converter, here the bipolar transistors are replaced by normally-on JFETs ( $J_1, J_2$ ) that are switched-off at negative gate voltage by the feed-back winding. A negative voltage large enough is achieved thanks to a large winding ratio in the transformer.

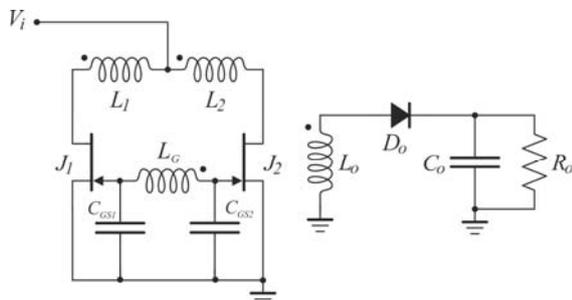


Fig. 2. Isolated push-pull boost converter.

At start-up, due to the ineliminable small differences of the two JFETs, one transistor tends to be more conductive, the feedback winding  $L_G$  accelerates the turn-on action, it switches-off the other transistor, and the oscillation gets started. Fig. 3 shows the simulations of the voltage and currents when the oscillation is stable. When the current is flowing in one leg of the circuit, for example through  $L_1$ , the voltage on the feedback winding  $L_G$  resonates with the gate capacitances and oscillates almost sinusoidally. The voltage on the gate of  $J_1$  reaches its maximum and starts falling. On the contrary, the voltage on  $J_2$  after reaching its minimum starts rising.

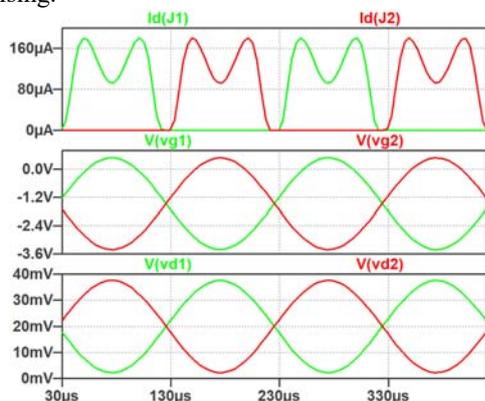


Fig. 3. Simulated voltage and currents in the converter ( $V_i=20mV$ ): current in the inductor  $L_1$  (green line) and  $L_2$  (red line), gate voltage of  $J_1$  (green line) and  $J_2$  (red line), drain voltage of  $J_1$  (green line) and  $J_2$  (red line).

The transistor  $J_1$  gets more and more resistive while  $J_2$  gets more conductive, and the current is progressively diverted from  $L_1$  to  $L_2$ . If the windings ratio is large, the gate voltage of  $J_1$  gets negative enough to reach the gate-source cutoff voltage ( $V_P$ ),  $J_1$  turns-off,  $J_2$  turns-on and the current is completely switched to  $L_2$ . The cycle is identical on the other leg ( $L_2, J_2$ ), and the current is alternatively switched between  $L_1$  and  $L_2$ .

The transistors  $J_1$  and  $J_2$ , respectively, push and pull the two ends of the transformer with 50% duty cycle and the feedback winding  $L_G$  resonates with the gate capacitor  $C_{GS1}$  and  $C_{GS2}$  at

constant frequency. The switching frequency depends on the power supply voltage, the inductance of the primary winding, the winding ratio  $n$ , the conductance and the gate capacitances of the JFETs. It can be accurately computed only by means of circuit simulations. Nevertheless, it can roughly be analytically evaluated by observing that when  $J_1$  is switched-on,  $J_2$  is switched-off and the current flows only in one leg of the circuit. In this half period the circuit is almost equivalent to an Armstrong oscillator. Same considerations hold for the other half period. Hence, the simplified equations of the Armstrong oscillator, slightly modified to account for the effect of two JFETs, can be used to evaluate at a glance the oscillation frequency [6].

$$f_o \cong \frac{1}{2 \pi n \sqrt{L C_{GS}/2}} \quad (1)$$

where  $L = L_1 = L_2$ ,  $n = \sqrt{L_G/L}$ , and  $C_{GS} = C_{GS1} = C_{GS2}$  the gate capacitances. It is worth noting that the JFETs, as in the conventional Royer oscillator, switch at almost zero voltage, that theoretically eliminates the losses due to the channel resistance and the parasitic device capacitances.

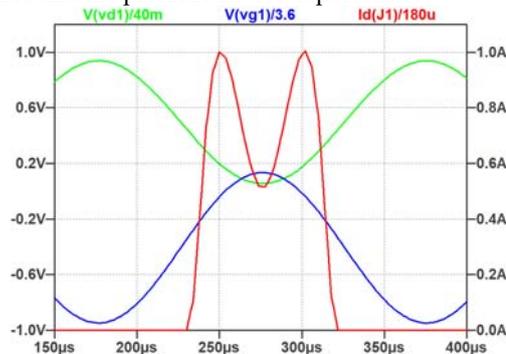


Fig. 4. Normalized voltage and currents on the switch  $J_1$  ( $V_i=20mV$ ): drain voltage (green line), gate voltage (blue line), drain current (red line, right tics).

In Fig. 4, the normalized drain and gate voltages of  $J_1$ , along with the drain current, are shown together. One can see that the drain voltage (switching voltage) increases, reaches its peak, and eventually drops down to zero: here the gate voltage gets larger than the cut-off voltage ( $V_P$  is negative) and the switch is turned on. The JFET turns on at nearly zero-voltage and zero-current. Then the current through  $L_1$  increases, draws energy from the input, and eventually turns-off at nearly zero drain voltage and zero current. Therefore, the JFET losses approach zero regardless the operating frequency. Although the input voltage is extremely low, it is the key to minimize the power dissipation, and to maximize the efficiency. One of the most relevant sources of losses, indeed, is the JFETs on-resistance that is inherently high in order to have low cutoff voltage (i. e. the channel is lightly doped). On the other hand, the low cut-off voltage and the low zero gate voltage current ( $I_{DSS}$ ) are essential to trigger the start-up oscillations. Furthermore, in this converter, thanks to the resonance between the transformer and the gate capacitances, when the current flows in the JFETs the drain voltage  $V_{DS}$  is around the minimum of the sinusoidal waveform (Fig. 4). It further increases the overall efficiency because to trigger the

oscillation the resistance must be of several Ohms. Finally,  $J_1$  and  $J_2$  push and pull the current at the two ends of the transformer and periodically reverse its current. It prevents the saturation of the core material: hence, high frequency, very small transformers can be used. All these features make the converter a suitable candidate for efficient ultra-low voltage energy harvesting systems.

### III. CONVERTER START-UP

The converter is based on a modified Royer oscillator connected to a full wave diode rectifier (non-isolated topology), or to an output winding (isolated topology). For the sake of simplicity, in order to investigate the converter start-up process, we discuss only the oscillator start-up. The approximation is justified by Fig. 5 that shows as the current flows to the load only for a very small amount of time each half wave; in the rest of the period the oscillator is virtually disconnected. In the oscillator's theory, there are some conditions that guarantee the oscillation start-up.

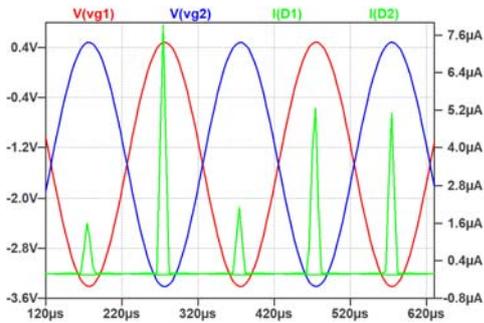


Fig. 5. Current on the output diodes ( $V_i=20mV$ ) green lines. Gate voltages of  $J_1$  and  $J_2$  red and blue lines respectively.

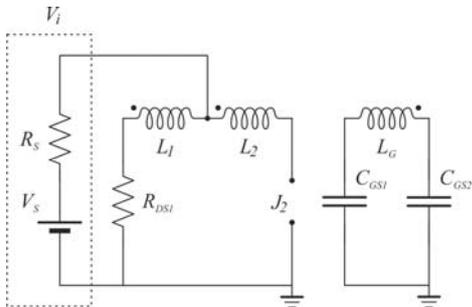


Fig. 6. Equivalent circuit of the oscillator in the half period when  $J_1$  is turned-on. Same considerations hold in the other half period.

Those conditions can be analytically estimated assuming the following approximations [6]: we consider the oscillator disconnected from the load, the input source is a voltage generator ( $V_S$ ) in series with its internal impedance ( $R_S$ ), the JFET and the transformer parasitic capacitances are reported at the JFETs gates. Besides, we assume: no magnetic loss in the transformer (coupling factor  $k = 1$ ), negligible winding resistances with respect to  $R_S$ , the JFETs operate in the linear region. Hence, the drain current can be expressed as

$$I_D = \frac{2 I_{DSS}}{V_P^2} \left( V_{GS} - V_P - \frac{V_{DS}}{2} \right) V_{DS} \quad (2)$$

Under these conditions the differential equation of the gate voltage is analogous to that of [6], slightly modified to account for two gate capacitances in series to  $L_G$

$$\frac{d^2 V_{GS}}{dt^2} + 2 \lambda \frac{d V_{GS}}{dt} + \omega_0 V_{GS} = 0 \quad (3)$$

were

$$\lambda = \frac{\frac{V_P^2}{2 I_{DSS}(V_{GS} - V_P)} + R_S}{n} - \frac{V_P^2 (V_S - \frac{V_{GS}}{n})}{2 I_{DSS}(V_{GS} - V_P)^2} \quad (4)$$

$\lambda$  is the damping factor,  $\omega_0 = 2\pi f_0$  the resonance pulsation. It is a nonlinear second order differential equation that cannot be solved analytically since  $\lambda$  is function of  $V_{GS}$ . Nevertheless, although simplified, two important equations can be worked out following the approach of [6]:

$$V_{Smin} > \frac{2 \left( n + \frac{1}{2} \right) I_{DSS} R_S - (n+1)V_P}{2(n+1)^2} \cong \frac{I_{DSS} R_S + |V_P|}{2n} \quad (5)$$

$$n_{min} > \frac{1}{\left( \frac{V_S}{2 I_{DSS} R_S - V_P} \right) - \sqrt{\frac{C_{GS1}}{2L} \frac{2 I_{DSS} R_S - V_P}{I_{DSS}}}} \quad (6)$$

where  $V_{Smin}$  is the start-up voltage and  $n_{min}$  the minimum winding ratio to trigger the oscillation. One can see that a large number of windings leads to a low startup voltage: on the other hand, large  $n$  leads to high inductance losses and bulky transformers.

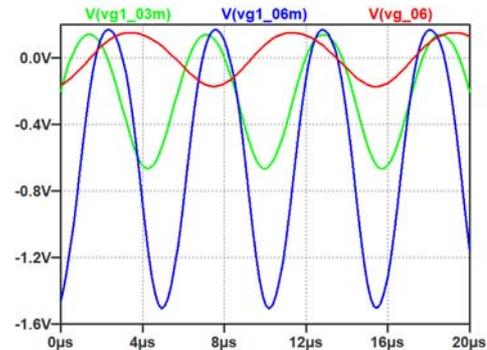


Fig. 7. Royer vs. Armstrong oscillator: green line Royer oscillator at  $V_i=3mV$ , blue line Royer oscillator at  $V_i=6mV$ , red line Armstrong oscillator at  $V_i=6mV$ . Simulation models and parameters are the same for both converters: JFETs BF862, diodes 1N4148, primary inductors 1µH, secondary inductors 100 mH,  $k = 0.98$ .

Furthermore, eq. (5) shows that, thanks to the series of  $C_{GS1}$  and  $C_{GS2}$ , the effect of the gate capacitance is halved with respect to the Armstrong oscillator and, at least theoretically, the minimum start-up voltage too. Simulations were carried out by means of the LTspice circuit simulator to validate the above equations. The theoretical and simulated minimum start-up voltages differ at most of 30% in a wide range of device parameters. Nevertheless, at very low input voltages the transformer losses become more and more relevant and the assumption of ideal transformer ( $k = 1$ ) breaks down. Simulations with realistic models and  $0.9 < k < 1$  show that the input voltage can be pushed down to 3 mV if the gate capacitance is small enough: in good accordance with (5)  $V_{Smin} = (I_{DSS} R_S + |V_P|)/2n \cong 1.5 mV$ . Fig. 7 shows the

simulations of the gate voltage oscillation of  $J_1$  at  $V_i = 3\text{mV}$  and  $V_i = 6\text{mV}$  compared with the Armstrong oscillator. The Armstrong oscillator starts at  $6\text{mV}$ , its frequency is roughly one half, and the peak to peak amplitude is four times smaller.

#### IV. EXPERIMENTAL RESULTS

Several prototypes were simulated, fabricated, and measured. The selection of each component and of the oscillation frequency is important to maximize the output voltage and the conversion efficiency. As stated above, a relevant source of losses is the JFETs on-resistance that is inherently high because of the low  $V_P$  and  $I_{DSS}$  required to trigger the start-up oscillations (eq. 5). A good compromise for our prototype is the JFETs PF5102 with  $V_P = -0.7\text{V}$ ,  $I_{DSS} = 4\text{mA}$ ,  $C_{GS} = 9.56\text{pF}$ . The transformer was fabricated on the cores KEMET ESD-R-47B and ESD-R-38B. The rectifier is based on the conventional low voltage 1N4148 diodes. Simulations were carried out by means of the LTspice.

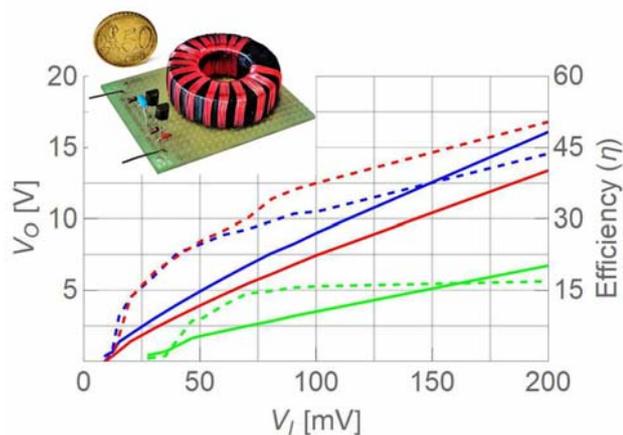


Fig. 8. Experimental results at ultra-low input voltages. Output voltage: circuit A blue solid line, circuit B red solid line, circuit C green solid line. Efficiency: circuit A blue dashed line, circuit B red dashed line, circuit C green dashed line.  $R_o = 3.3\text{M}\Omega$ ,  $C_o = 10\text{nF}$ . Inset: prototype A ( $V_o = 0.39\text{V}$  @  $9.21\text{mV}$ ,  $1.83\text{V}$  @  $20\text{mV}$ ,  $4.97\text{V}$  @  $50\text{mV}$ ).

Three prototypes were first designed and optimized by means of simulations, then fabricated and measured:

- A) non-isolated optimized at input voltages  $20\text{mV}$  ( $n = 240$ )
- B) non-isolated optimized at input voltages  $100\text{mV}$  ( $n = 160$ )
- C) isolated optimized at input voltages  $100\text{mV}$  ( $n = 160$ )

The input and output voltages were measured with a four channels oscilloscope Keysight DSOX3014A, the input voltage is generated with an adjustable low dropout regulator LT3083. The input current is inferred by sensing the DC voltage drop across a low tolerance small resistance ( $1\Omega$ ) in series with the power generator: at very low voltage it is a relevant issue. We expect that the sensing of the input current via the resistance dropout influences negatively the oscillator and causes a higher start-up voltage. Hence, the measurements represent a worst case: we believe that the circuit can be even better than our measurements. Furthermore, the transformer of our first prototypes represents a weakness as well: it is handcrafted and, in order to accommodate the required windings, it results rather bulky and introduces relevant stray

capacitances. It leads to considerable losses and, despite the core material could withstand higher frequencies ( $1\text{MHz}$ ), it limits the overall frequency. Nevertheless, simulations show that the converter, if the gate capacitance is as low as  $1\text{pF}$  (integrated circuits) and the input voltage is larger than  $100\text{mV}$  the converter could operate at frequencies of about  $1\text{MHz}$ . In Fig. 8 the measured output voltages of the three prototypes are shown. One can see at a glance that the non-isolated topologies (A, B) start oscillating at about  $10\text{mV}$ , and the isolated one (C) at about  $30\text{mV}$  due to the larger number of windings. It is worth mentioning that simulations can reproduce measurements only assuming low ideality factors  $k < 0.7$ , and accounting for the coils' serial resistances and stray capacitances. The measured voltage gain ( $G_V = V_o/V_i$ ) of circuit A, by the way of example, is in the order of 100 (it varies with the input voltage) while in the simulations with better transformer parameters ( $k > 0.9$ ) it is 160. It suggests that the transformer can be optimized with better cores, thinner wires, and accurate windings layout. Furthermore, the transformer losses explain the lower gain ( $G_V \approx 40$ ) of the prototype C: the number of windings is roughly doubled as well as the parasitics. Nevertheless, despite the transformer requires optimizations, the converter shows a very high voltage gain: at  $20\text{mV}$  the measured output voltage is  $1.7\text{V}$  ( $3.3\text{V}$  in the simulations), at  $100\text{mV}$  is  $8.97\text{V}$  ( $16\text{V}$  in the simulations) and at  $200\text{mV}$  is  $15.4\text{V}$  ( $32\text{V}$  in the simulations). The smallest measured start-up voltage is  $9\text{mV}$  (prototype A, optimized at  $20\text{mV}$ ): at  $10\text{mV}$  the measured output voltage is  $0.6\text{V}$  ( $G_V = 60$ ) and the simulated  $3.38\text{V}$  ( $G_V = 169$ ). Low input voltage requires many feedback winding, large  $L_G$  and, in turn, lower frequencies (Eq. 1). Hence, to design a high gain, high frequency converter  $C_{GS}$  must be as small as possible. Fig. 8 also shows the efficiency  $\eta$  at low input voltages and power. The converter B is slightly more efficient than the converter A because of the smaller number of windings:  $\eta = 8\%$  at  $11\text{mV}$ , up to  $50\%$  at  $200\text{mV}$  and larger than  $50\%$  for an input voltage in the range of  $300\text{--}500\text{mV}$ . Again, the simulated efficiency with realistic parameters is larger: above  $50\%$  for input voltages of  $20\text{--}50\text{mV}$  and larger than  $70\%$  at  $50\text{--}200\text{mV}$ . At low input voltages about  $40\%$  of the overall losses comes from the transformer series resistances and leakage inductances,  $20\%$  to the JFETs series resistance and  $5\%$  to the output diodes. The most relevant measured features of the converters at ultra-low input voltages ( $3.3\text{M}\Omega$  output load) are shown in Tab. 1. At larger output currents ( $R_o < 100\text{k}\Omega$ ), as for the conventional Royer converter, the efficiency increases drastically, the transformer is smaller, while the startup voltage rises. It is worth noting that the Royer converter at high voltages easily exceeds  $\eta = 90\%$ .

	Startup Voltage	Max. Frequency	Max. $G_V$	Max. $\eta$	Min. $P_{IN}$
A	$9\text{mV}$	$41.38\text{kHz}$	99	$54.4\%$	$0.8\mu\text{W}$
B	$10\text{mV}$	$70.67\text{kHz}$	93	$57.0\%$	$1.4\mu\text{W}$
C	$28\text{mV}$	$84.17\text{kHz}$	38	$18.7\%$	$4.0\mu\text{W}$

Table 1. Measured main parameters of the three converters.

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Table II shows a performances comparison with the state-of-the-art integrated and discrete low-voltage and low-power converters. Our converter achieves the lowest start-up voltage (9 mV) except [14]\*, where extremely low startup voltage (6 mV) is achieved by means of 7 cascaded transformers, a voltage multiplier, and Schottky diodes: it is an excellent result, but the efficiency is low (max.  $\eta = 8.2\%$ ). The transient behavior of prototype A at startup and changing the load condition is shown in Fig. 9. Finally, energy-harvesting systems often include an energy-storage device to accumulate charge and supply a burst of current whenever it is required.

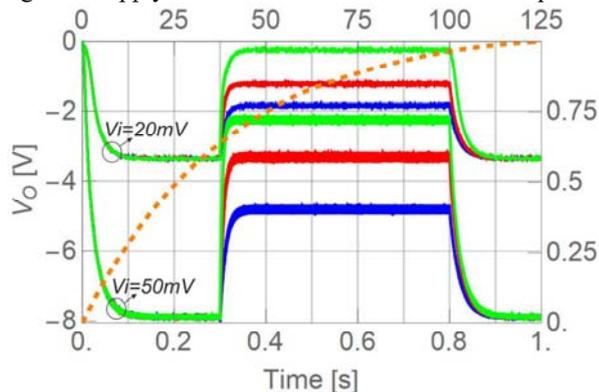


Fig. 9. Transient output voltage through light to heavy load conditions at 20 and 50 mV input voltage (bottom-left axes): 10 M $\Omega$   $\rightarrow$  1 M $\Omega$  blue line, 10 M $\Omega$   $\rightarrow$  470 k $\Omega$  red line, 10 M $\Omega$   $\rightarrow$  330 k $\Omega$  green line. Charging time of a 4  $\mu$ F capacitor (top-right axes) orange dashed line (conv. A).

To reproduce this condition a capacitor is connected to the converter at  $V_i = 15$  mV. In Fig. 9 the measured charging time is shown. The circuit can charge a 4  $\mu$ F capacitor to 1V in 2 minutes and, more importantly, the oscillation starts despite the large conductance of the capacitor at 0 V.

Ref.	$V_i$ at Startup	$V_o$ at Startup	Min. Inp. Power	Max. Eff.	Prototype specs
[10]	80 mV	1.3 V	1.4 mW	60 %	Integrated
[11]	120 mV	1.2 V	880 $\mu$ W	30 %	Part. Int.
[12]	140 mV	1.3 V	830 $\mu$ W	20 %	Integrated
[13]	200 mV	2.5 V	5.8 mW	66 %	Discrete
[9]	100 mV	1 V	3 $\mu$ W	25 %	Discrete
[14]	62 mV	N.A.	42.2 $\mu$ W	N.A.	Discrete
[14]*	6 mV	0.1-0.3 V	0.49 $\mu$ W	8.2 %	Discrete
[15]**	20mV	1 V	2 $\mu$ W	64 %	Integrated
[16]	15 mV	0.15 V	2 $\mu$ W	1.7 %	Piezo trasf.
[17]	60 mV	1 V	N.A.	59 %	Part. Int.
[18]	70 mV	1.25 V	12 $\mu$ W	60 %	Part. Int.
Our	9 mV	0.39 V	0.8 $\mu$ W	57%	Discrete

Table 2. Comparison with the state-of-the-art low-voltage autonomous DC-DC converters. \* Circuit [14] with 7 cascaded transformers with different output stages and loads. \*\* Not self-starting, it requires a battery of 600mV.

## V. CONCLUSION

This work shows that the Royer converter, suitably modified with JFET switches, can be successfully used at ultra-low input voltages. It has the advantages of simplicity, zero

voltage switching, maximum use of the magnetic core, and sinusoidal waveforms. It is the key to achieve high voltage gain, high efficiency, and low start-up voltages. The lowest measured start-up voltage is 9 mV although simulations show that, with careful optimization of the transformer and of the switching devices, it could start at voltages as low as 3 mV. At input voltages in the range of 200-300mV the output voltage exceeds 10V and the efficiency 50 %.

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